# Relational Databases can Handle Graphs Too! 

Altan Birler

Technische Universität München

## Cumbra LDBC ${ }^{*}$

- UMBRA: Very fast Relational DBMS
- LDBC-BI: OLAP Graph Workload. 2 Graph, 1 Relational System
- Graph queries $\rightarrow$ SQL


## Gumbra

 LDBC ${ }^{\circledast}$- UMBRA: Very fast DBMS
- LDBC-BI: OLAP Graph Workload. 2 Graph, 1 Relational System
- Graph queries $\rightarrow$ SQL
- Umbra is fast at executing every single query
- Including the shortest path queries!


## umbra-db.com/interface



- A relational DB is great at executing every single graph query
- What is going on here?



## The Graph Perspective

- "Navigate deep hierarchies"
- Connections


## The Graph Perspective



## The Graph Perspective

Scalable?


# Scalable? Now you are thinking with relations. 

Altan $\xrightarrow{\text { Cousin }}$ Rauf

5000000
People join

CousinsOfPeople

## The Relational Perspective

- A scalable model of the world: "SQL is embarrassingly parallel"
- Big (multi-)sets of unordered data
- Highly scalable, deeply researched, simple, standard operators
- Join, Group By
- Breadth is scalable
- Depth is not


## Is My Query Scalable?

- Can you express it with set oriented relational algebra?
- Yes: Most likely scalable
- No: You might have some trouble


## How To Scale LDBC BI Queries

- Express them in relational algebra (SQL)
- Eliminate depth, increase breadth


## Eliminate depth




- Works since there are no link/cut operations
- Unforeseen (positive) consequences
- Removing recursions improves cardinality estimates which improve accuracy of the optimizer
- Query: Average number of messages per forum
- 800 ms vs 80 ms


## How to Beat Umbra

## Execution

As fast as (faster than) highly optimized C++ code you would specifically write for a query.

Highly scalable algorithms, WCOJ [1] Death to $O\left(n^{2}\right)$

JIT compilation of queries
Morsel based parallelism

## Missing graph specific algorithms

Not likely to improve by large margins

Optimization
Unnesting arbitrary queries [2]
Join ordering with optimal DP [3,4] Adaptive optimization for huge joins (high quality plans for high depth)

Rule based optimization is not always consistent.
Order of application matters.

## Equivalent queries:

Some more equal than others
Lots of potential for improvement

## Statistics

Statistics on base relations:
Great
Recently saw great improvements [5]
If isKey(attribute):
amazingEstimates();
Else:
startCrying();
Exceptionally hard problem

Just getting started!

## LDBC BI SQL Queries

- The queries changed over time
- Over 10x improvement gained by rewriting queries
- The optimizer should have been doing what we had to do by hand!
- Remove redundant joins with redundant relations
- Common subquery elimination
- Are you interested in execution?
- Check out the latest query versions
- Are you interested in optimization?
- Go through the git history and check out earlier query versions


## SQL Shortest Path (PostgreSQL dialect)

shorts(dir, gsrc, dst, w, dead, iter) as (
select false, f, f, 0::double precision, false, 0 from srcs union all
select true, $t, t, 0:$ double precision, false, 0 from dsts
union all
with
ss as (select * from shorts),
toExplore as (select $*$ from ss where dead $=$ false order by w limit 1000),
assumes graph is undirected
newPoints(dir, gsrc, dst, w, dead) as (
select e.dir, e.gsrc as gsrc, p.dst as dst, e.w + p.w as w, false as dead
from path $p$ join toExplore $e$ on (e.dst $=p . s r c$ )
union all
select dir, gsrc, dst, w, dead or exists (select * from toExplore e where e.dir = o.dir and e.gsrc =o.gsrc and e.dst =o.dst) from ss o
full
fullTable as
select distinct on(dir, gsrc, dst) dir, gsrc, dst, w, dead
from newPoints
order by dir, gsrc, dst, w, dead desc
found as
select $\min (\mathrm{l} . \mathrm{w}+\mathrm{r} . \mathrm{w})$ as w
from fulltable l, fullTable $r$
where l.dir $=$ false and $r$.dir $=$ true and l.dst $=r . d s t$
)
select dir,
gsrc,
dst
dead or (coalesce(t.w > (select f.w/2 from found f), false)),
e.iter + 1 as iter
from fullTable $t$, (select iter from toExplore limit 1) e

## Dijkstra's Algorithm



Visit nodes one by one by increasing distance Invariant: Every path within the circle has been seen

## Dijkstra's Algorithm Modified



Visit nodes 1000s at a time by increasing distance Invariant: Every path within the circle has been seen We have to make sure no shorter path is available

## Hacking SQL Recursion

- Can't access results of arbitrary recursion steps
- So just propagate everything you ever compute at every step!
- Absolutely horrible, destroys memory and efficiency
- But we still beat the other graph systems!
- This emphasizes the importance of breadth of depth


## SQL Shortest Path

shorts(dir, gsrc, dst, w, dead, iter) as (
select false, f, f, 0::double precision, false, 0 from srcs union all
select true, $t, t, 0:$ double precision, false, 0 from dsts
union all
( with
ss as (select * from shorts),
toExplore as (select $*$ from ss where dead $=$ false order by w limit 1000),
-- assumes graph is undirected
newPoints(dir, gsrc, dst, w, dead) as (
select e.dir, e.gsrc as gsrc, p.dst as dst, e.w + p.w as w, false as dead
from path $p$ join toExplore $e$ on (e.dst $=$ p.src)
union all
select dir, gsrc, dst, w, dead or exists (select * from toExplore e where e.dir = o.dir and e.gsrc =o.gsrc and e.dst =o.dst) from ss o
),
fullTable as (
select distinct on(dir, gsrc, dst) dir, gsrc, dst, w, dead
from newPoints
order by dir, gsrc, dst, w, dead desc
found as (
select min(l.w + r.w) as w
from fullTable l, fullTable $r$
where l.dir $=$ false and $r$.dir $=$ true and l.dst $=r . d s t$
)
select dir,
gsrc,
dst
dead or (coalesce(t.w > (select f.w/2 from found f), false)),
e.iter + 1 as iter
from fullTable $t$, (select iter from toExplore limit 1) e

## References

[1] Michael J. Freitag et al. "Adopting Worst-Case Optimal Joins in Relational Database Systems". In: Proc. VLDB Endow. 13.11 (2020), pp. 1891-1904.
[2] Thomas Neumann and Alfons Kemper. "Unnesting Arbitrary Queries". In: BTW. Vol. P-241. LNI. GI, 2015, pp. 383-402.
[3] Thomas Neumann and Bernhard Radke. "Adaptive Optimization of Very Large Join Queries". In: SIGMOD Conference. ACM, 2018, pp. 677-692.
[4] Bernhard Radke and Thomas Neumann. "LinDP++: Generalizing Linearized DP to Crossproducts and Non-Inner Joins". In: BTW. Vol. P-289. LNI. Gesellschaft fur Informatik, Bonn, 2019, pp. 57-76.
[5] Philipp Fent and Thomas Neumann. "A Practical Approach to Groupjoin and Nested Aggregates". In: Proc. VLDB Endow. 14.11 (2021), pp. $2383-2396$.

